# Deep Classifier Mimicry without Data Access



Steven Braun<sup>1</sup>



Martin Mundt<sup>1,2</sup>



Kristian Kersting<sup>1,2,3,4</sup>

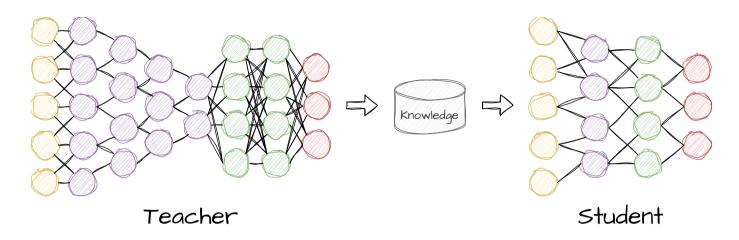




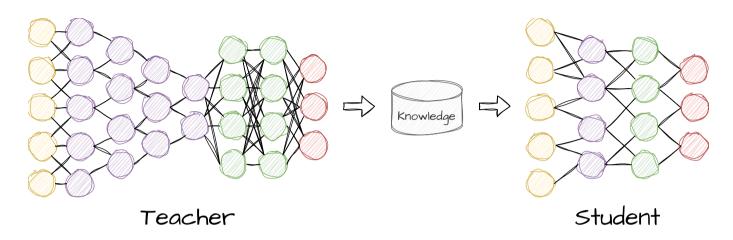
<sup>1</sup>Department of Computer Science, TU Darmstadt <sup>2</sup>Hessian Center for AI (hessian.AI) <sup>3</sup>German Research Center for Artificial Intelligence (DFKI) <sup>4</sup>Centre for Cognitive Science, TU Darmstadt







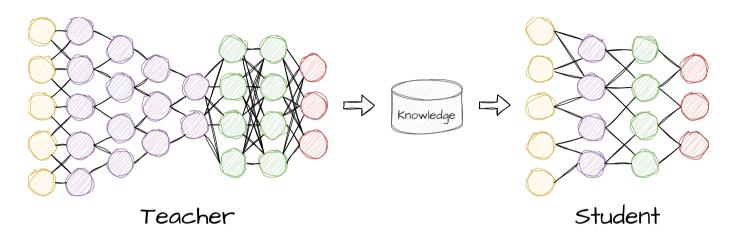
<sup>&</sup>lt;sup>1</sup>Hinton, G.E., Vinyals, O., & Dean, J. (2015). Distilling the Knowledge in a Neural Network. ArXiv, abs/1503.02531.



Original Formulation by Hinton et al. 1: Teacher  $f^T$ , student  $f^S$ 

$$\mathcal{L}_{\mathrm{KD}}(\boldsymbol{x}, y) = \lambda \underbrace{\mathcal{L}_{\mathrm{hard}} \big( f^{S}(\boldsymbol{x}), y \big)}_{\text{match data}} + (1 - \lambda) \underbrace{\mathcal{L}_{\mathrm{soft}} \big( f^{S}(\boldsymbol{x}), f^{T}(\boldsymbol{x}) \big)}_{\text{match teacher}}$$

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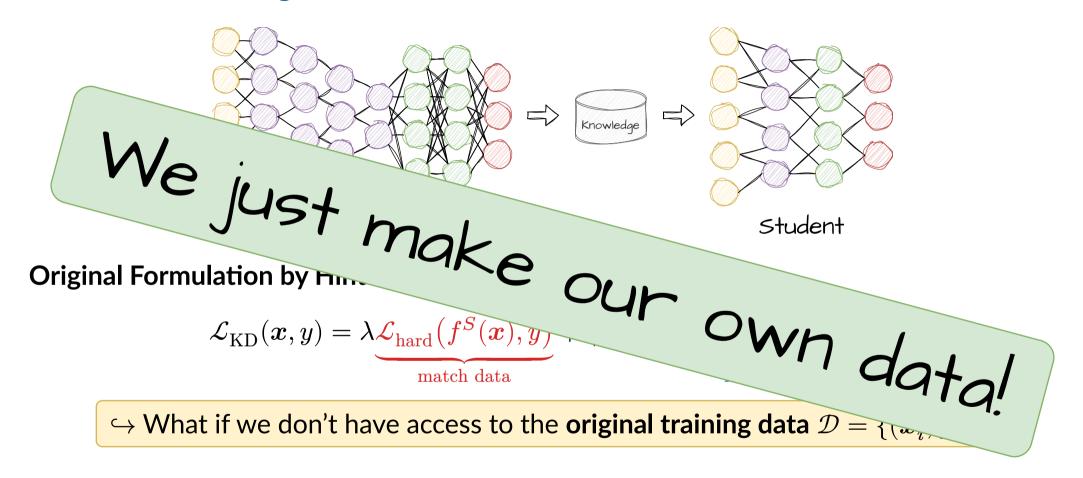


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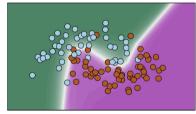
 $\hookrightarrow$  What if we don't have access to the **original training data**  $\mathcal{D} = \{(x_i, y_i)\}$ ?

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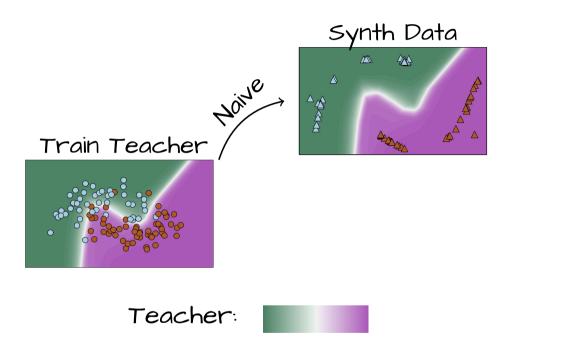
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#### Train Teacher

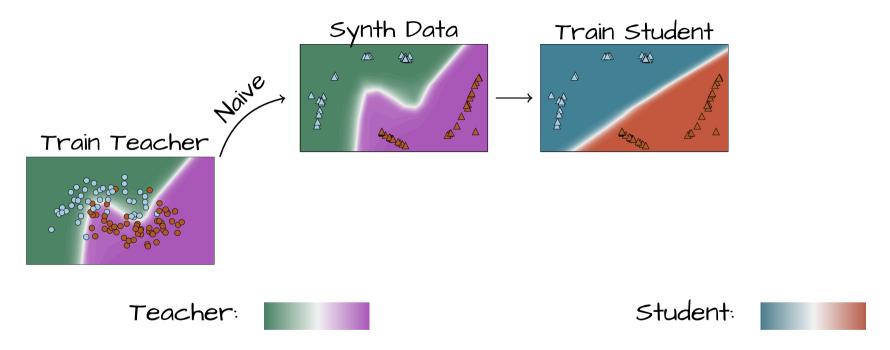


Teacher:

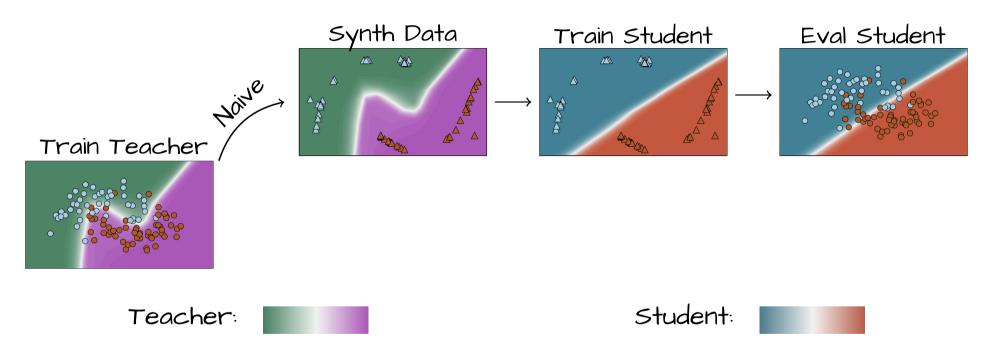
• Naive: Init. random datapoints  $(\tilde{x}, \tilde{y})$  and minimize  $\mathcal{L}(\tilde{x}, \tilde{y}) = \mathrm{CE}(f^T(\tilde{x}), \tilde{y})$ 

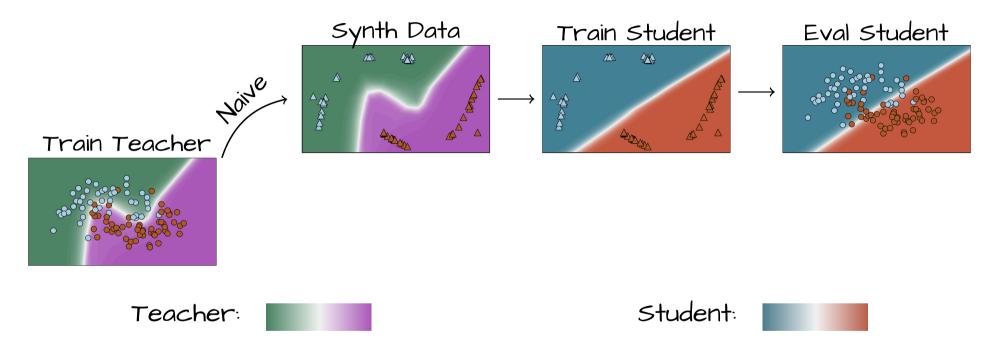


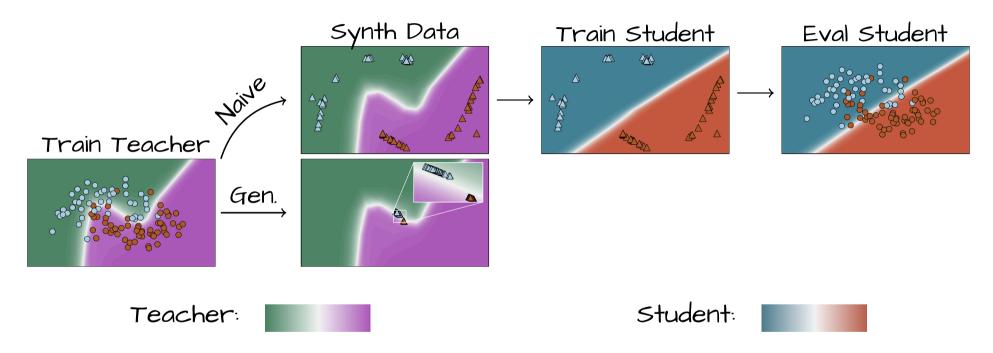
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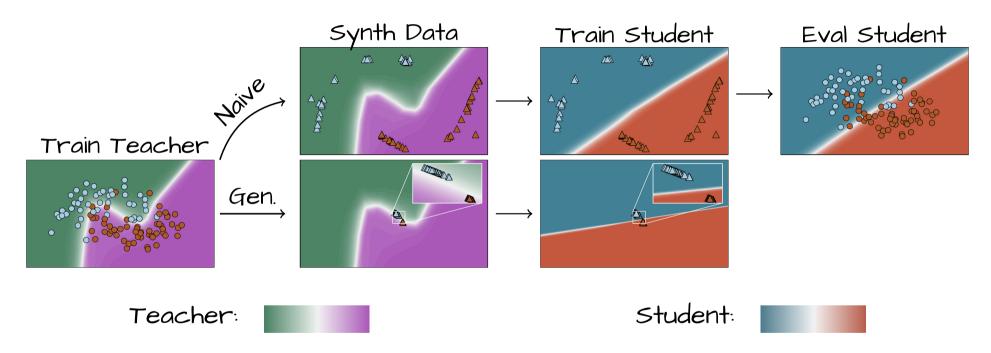


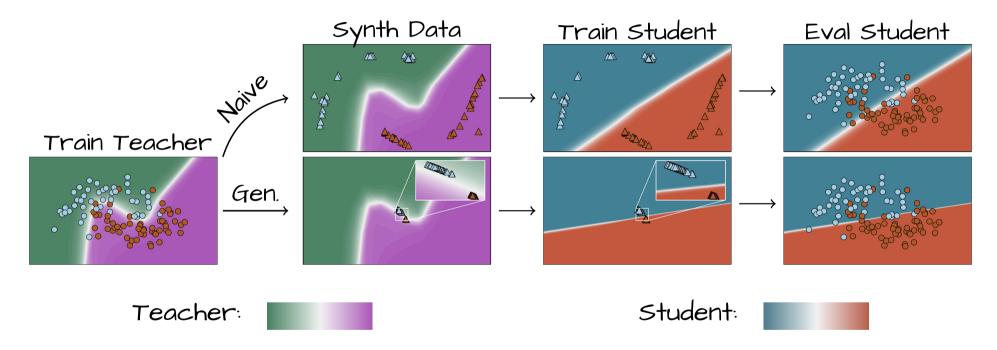
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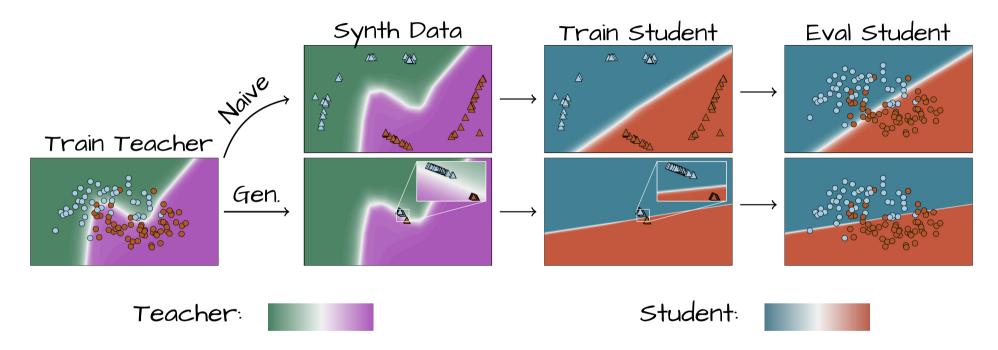






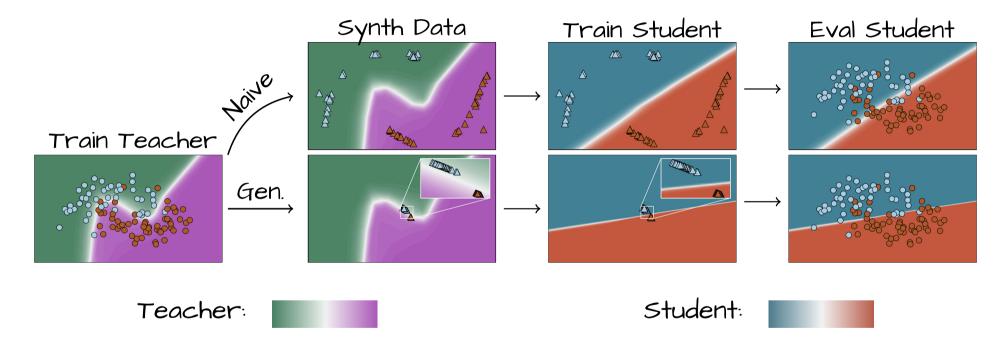


• Generative: Init. random latents  $(\tilde{z}, \tilde{y})$  and minimize  $\mathcal{L}(g_{\theta}(\tilde{z}), \tilde{y}) = \text{CE}(f^T(g_{\theta}(\tilde{z})), \tilde{y})$ 



What's missing?

• Generative: Init. random latents  $(\tilde{z}, \tilde{y})$  and minimize  $\mathcal{L}(g_{\theta}(\tilde{z}), \tilde{y}) = \text{CE}(f^T(g_{\theta}(\tilde{z})), \tilde{y})$ 



What's missing?

Naive: Keep classes close, else boundary becomes linear

**Generative**: Disperse samples along the relevant boundary region

**Idea**: Contrast sample pairs noisily across and along the relevant teacher decision boundary and regularize with data priors!

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• Contrastive samples between classes

$$\mathcal{L}_{\text{contr}}\big(\boldsymbol{x}_i, \boldsymbol{x}_j\big) = \mathbb{1}\big[y_i \neq y_j\big] \ \|\boldsymbol{f}^T(\boldsymbol{x}_i) - \boldsymbol{f}^T\big(\boldsymbol{x}_j\big)\|_2^2$$

... or any other contrastive loss

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Regularize using domain knowledge

$$\mathcal{L}_{\text{TV}}(x) = \sum_{j,k} \lVert x_{j,k} - x_{j-1,k} \rVert + \lVert x_{j,k} - x_{j,k-1} \rVert$$

... or any other data prior

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$$\textit{Explicit:} \quad \mathsf{Langevin \ Dynamics} \ \boldsymbol{x}_i^{t+1} = \boldsymbol{x}_i^t + \nabla_x \mathcal{L}(\boldsymbol{x}_i^t) \eta(t) + \sqrt{2\eta(t)} \varepsilon_i^t \ , \ \mathrm{with} \ \varepsilon_i^t \sim N(0,I)$$

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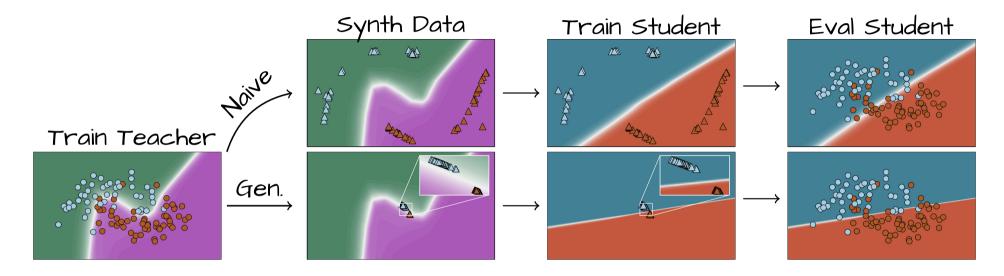
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*Implicit*: Stochasticity of SGD and step size schedules  $\eta(t)$  is enough

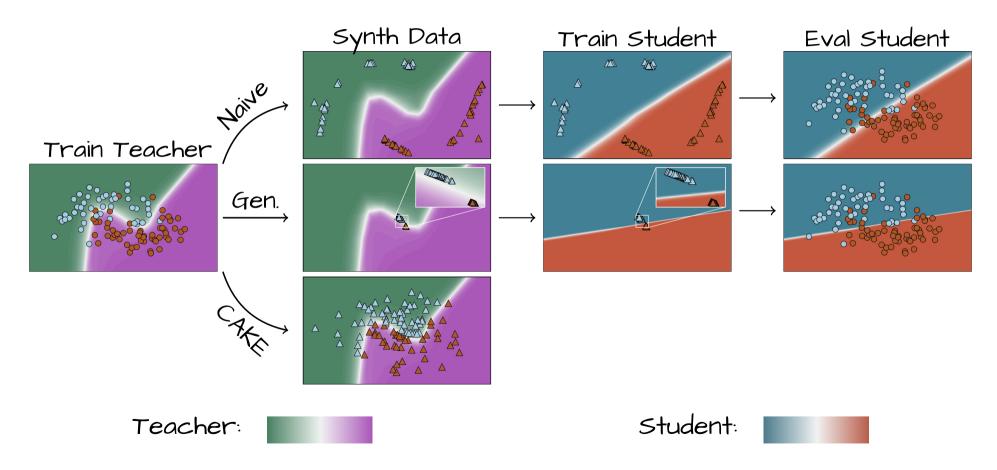
... or any other noise injection

• CAKE: Contrast pairs noisily across and along the relevant teacher decision boundary.

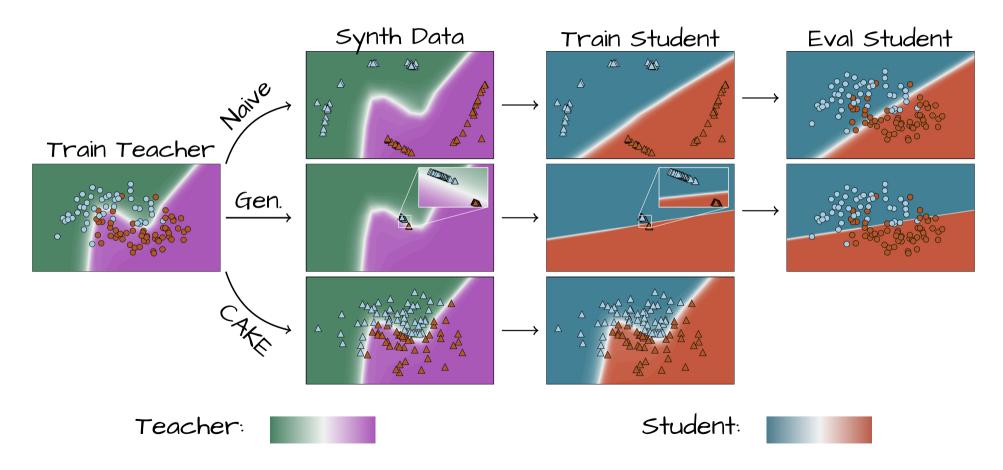


Teacher: Student:

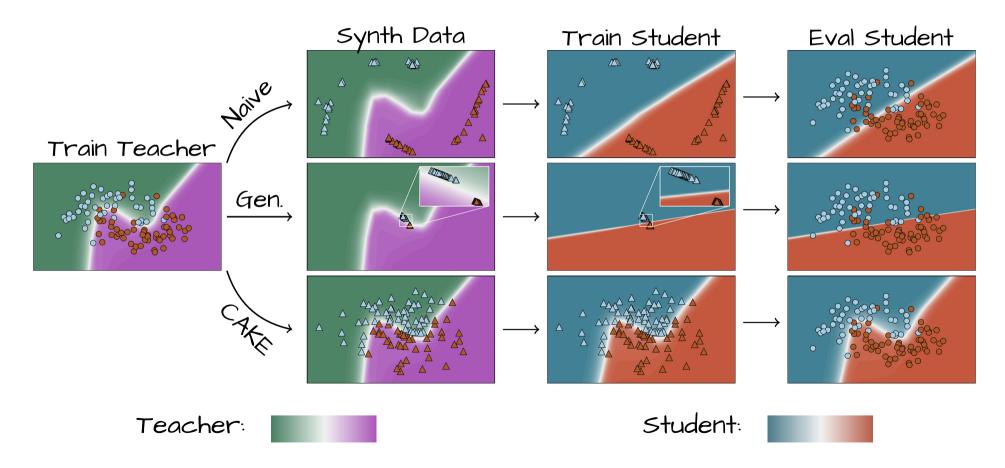
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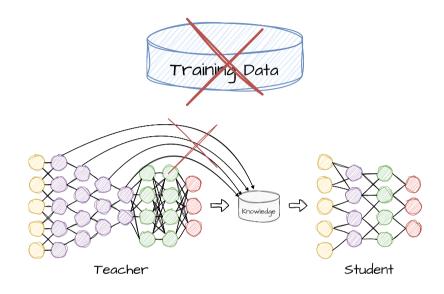


No original data access



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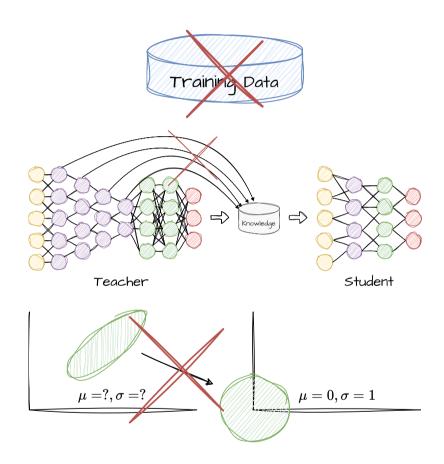
• No model access e.g. intermediate activations



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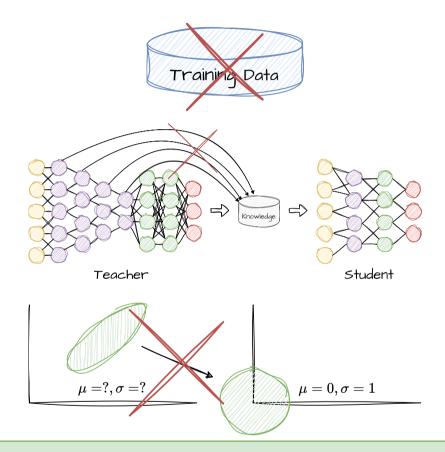
No model assumptions
 e.g. BatchNorm, linear penultimate layer



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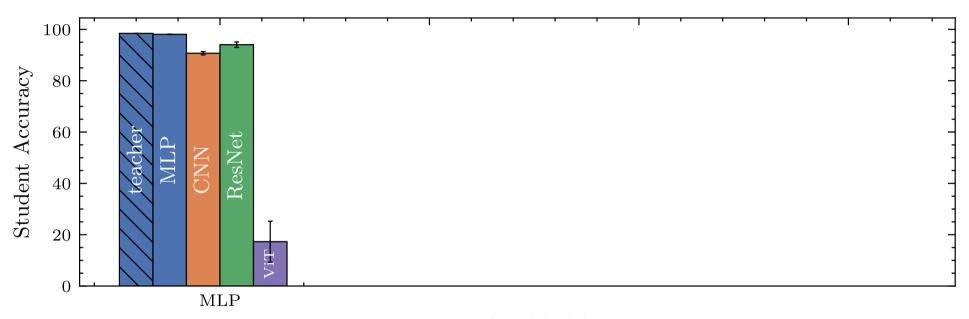
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 $\hookrightarrow$  CAKE can be applied to any "blackbox" model which is differentiable w.r.t. its input.

#### **CAKE Across Model Types**

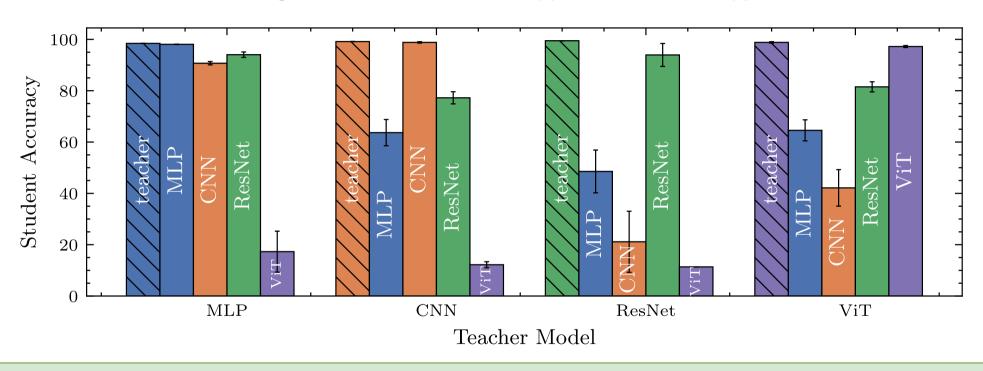
#### Distilling MNIST from model type A to model type B



Teacher Model

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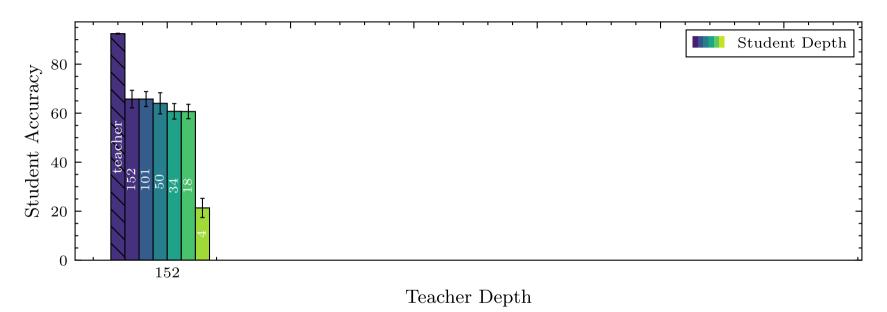


**Takeaways**: 1. Similar inductive bias  $\rightarrow$  better distillation

2. Less inductive bias  $\rightarrow$  better distillation 3. ResNet is a safe student model choice.

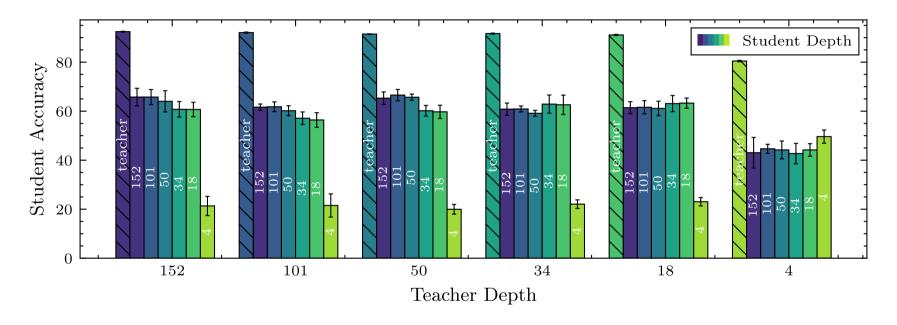
#### **CAKE Across Scales**

Distilling CIFAR-10 knowledge from ResNet-X to ResNet-Y (152, 101, 50, 34, 18, 4)



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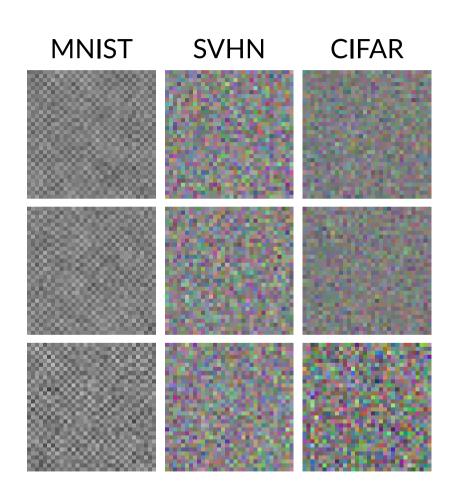


**Takeaway**: CAKE can compress models at a stable accuracy until capacity is too heavily constrained.

### **CAKE Synthetic Samples**

No visual resemblance with original training data. Possible future work includes:

- Differential privacy?
- Data utility and privacy trade-offs?
- Robustness against adversarial attacks?



### **Summary and Outlook**

CAKE is a data-free and model-agnostic knowledge distillation method, that ...

- can distill models across scales
- can distill between different model types
- doesn't produce data-like samples (visually)

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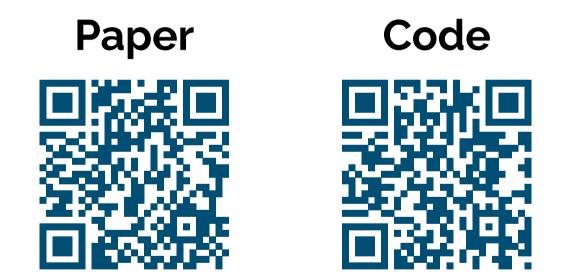
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#### **Future work**

- Estimate gradients? → truly "blackbox", API-model possible
- Investigate the data privacy perspective?
- Investigate explicit instead of implicit noise

# Still interested?

Join me at Room 2, Poster #117



steven.braun@cs.tu-darmstadt.de